

# LARGE MOUNTAIN WATERSHEDS: USING AGE TO UNDERSTAND THEIR HYDROLOGIC RESPONSE

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# ACKNOWLEDGMENTS

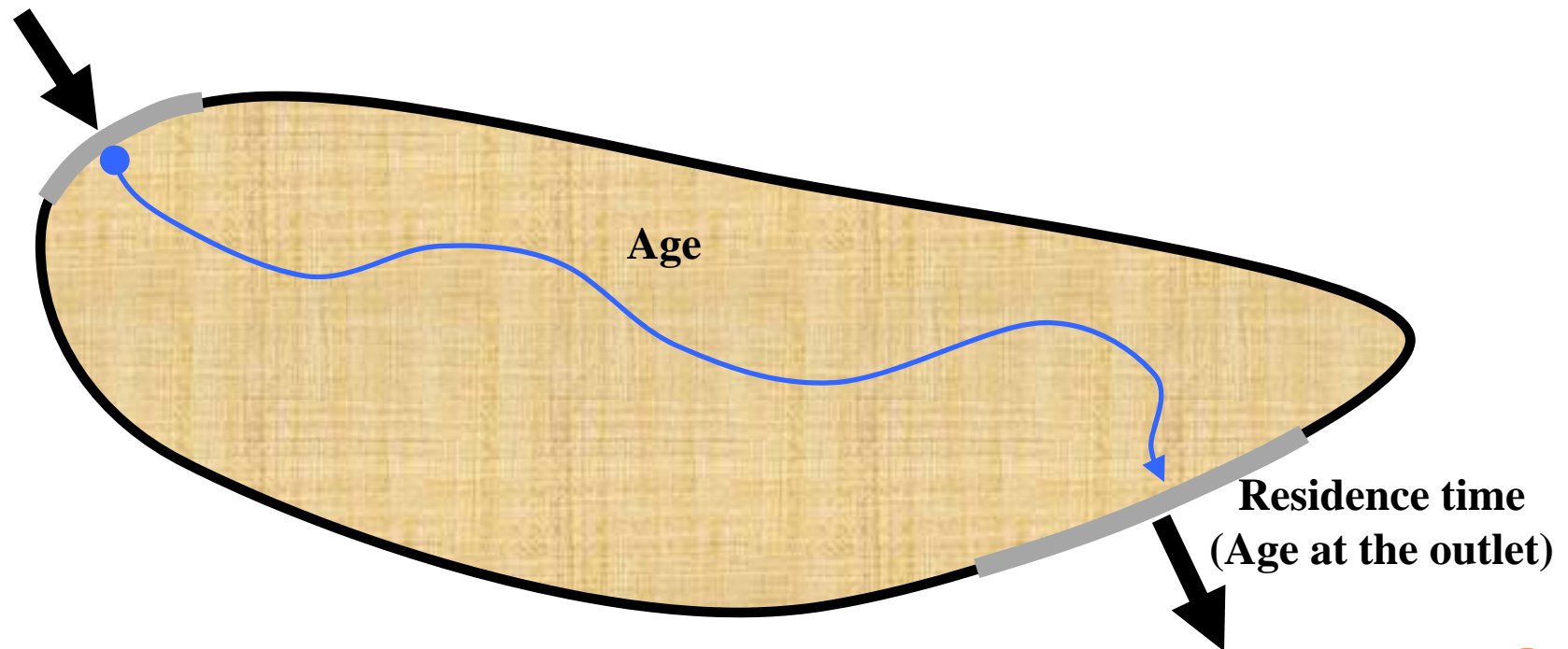
- NSF support
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- Discussion and comments from Marty Frisbee, Fred Phillips, Mark Person, William Stone, Bayani Cardenas, and Judson Harvey.
- Field collaboration from Monica Hernandez, David Krzesni, Lauren Sherson, Jevon Harding, and Paul Gabrielsen

# GROUNDWATER AGE

## Definition:

If at some time  $t$  a water molecule is sampled for analysis at some location  $\mathbf{x}$ , the groundwater age ( $\tau$ ) is defined as the time expended by this water molecule within the hydrologic system.

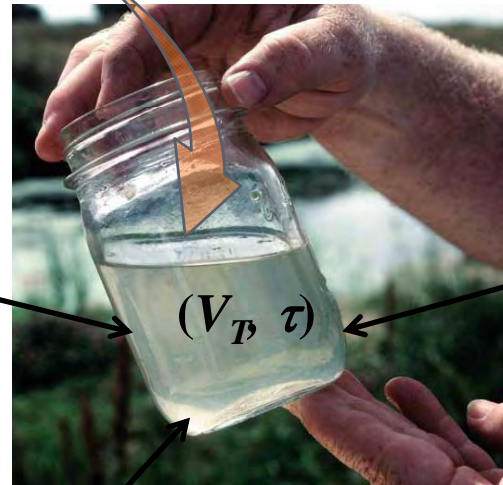
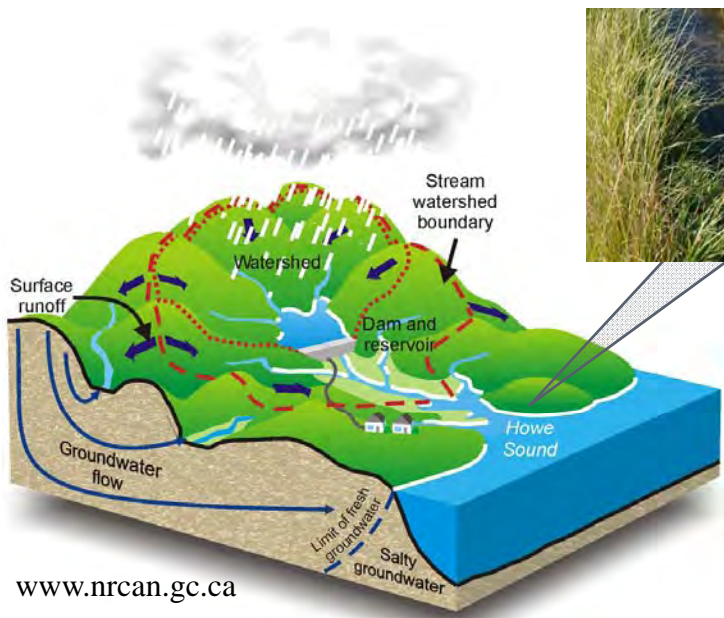
Residence time refers to the age of a water molecule when it is leaving the system



## WHY DO WE CARE ABOUT AGE?

- Assessment of aquifer renewability, replenishment, and susceptibility.
- Identification of groundwater flow paths.
- Estimation of aquifer properties and groundwater velocities.
- Estimation of recharge rates.
- Model comparison.

# AGE DISTRIBUTION



Sample taken at time  $t$

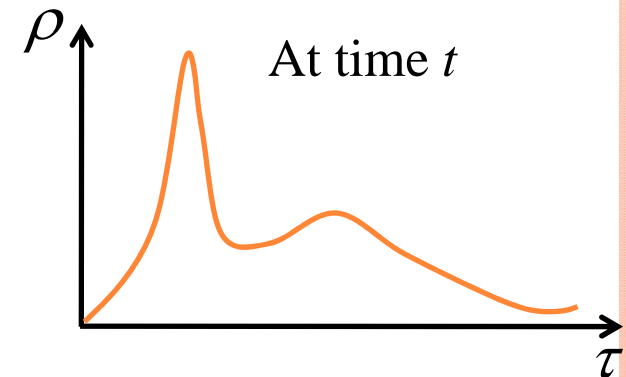
$(V_1, \tau_1)$

$(V_i, \tau_i)$

$(V_D, \tau)$

$(V_2, \tau_2)$

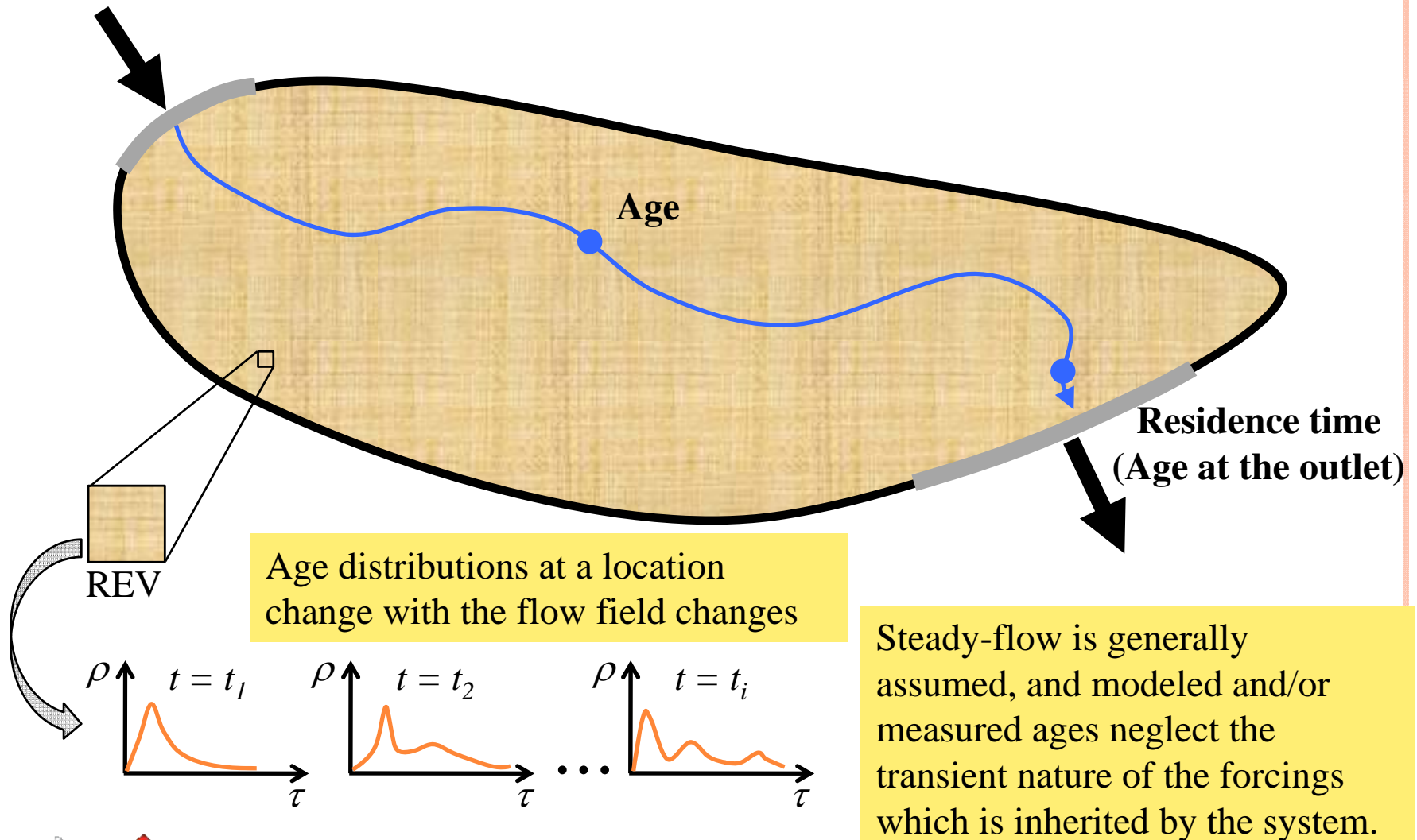
Measured volume and “mean” age  
 The sum of components of different ages  $\tau$   
 We refer to a distribution of ages  $\rho(\tau, t)$



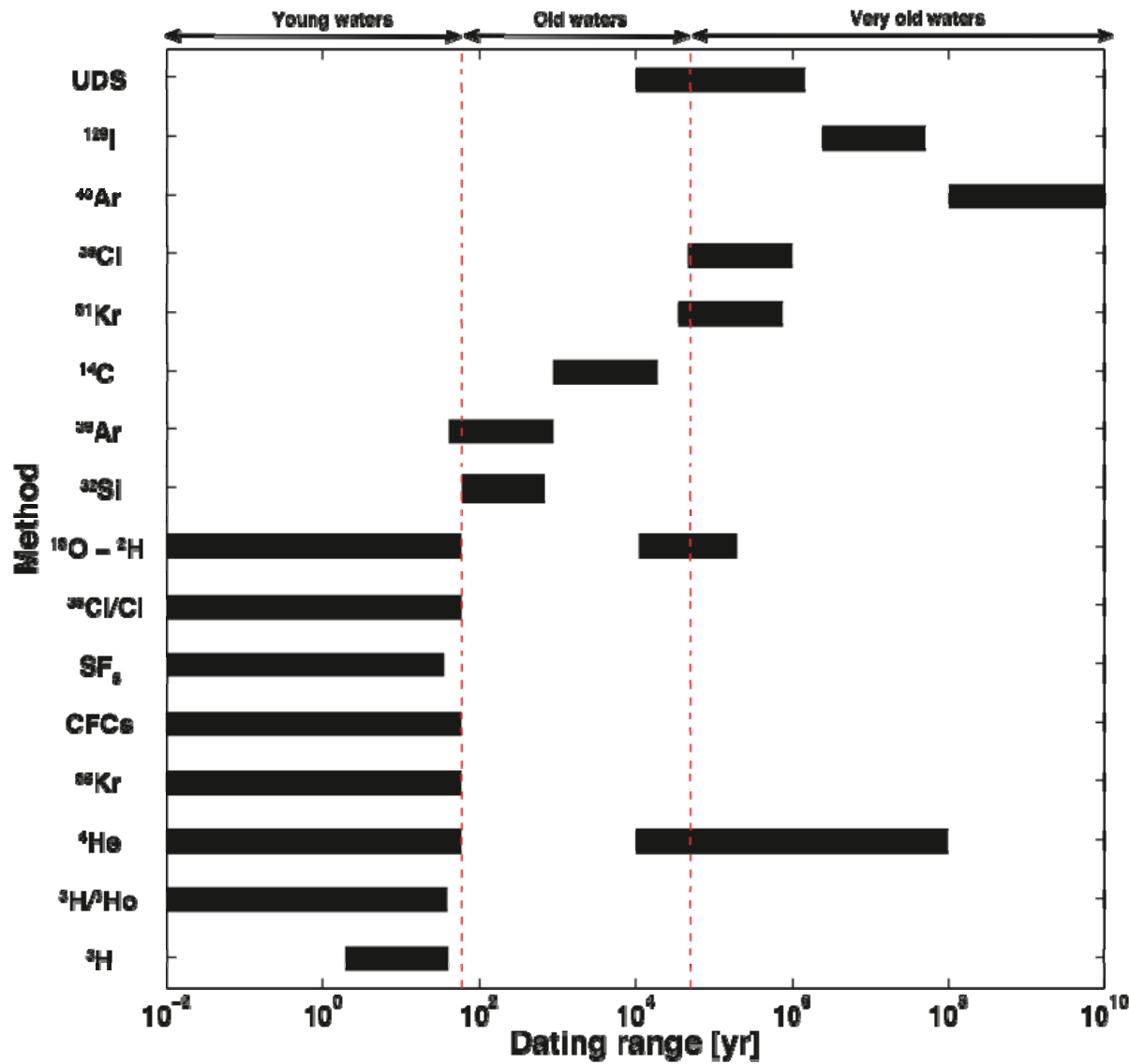
## AGE DISTRIBUTIONS

- Age distributions (ADs) encapsulate the net flow and transport characteristics of natural reservoirs.
- ADs represent the time of exposure of water to the system's biogeochemical conditions.
- This is an ubiquitous measure used in chemical engineering, atmospheric sciences, oceanography, and surface and subsurface hydrology among others. Then, any knowledge that we acquire can be transferred to other areas of research.

# AGE DISTRIBUTIONS (AD), RESIDENCE TIME DISTRIBUTIONS (RTD), AND THE ROLE OF TRANSIENT FLOW



# ENVIRONMENTAL TRACERS



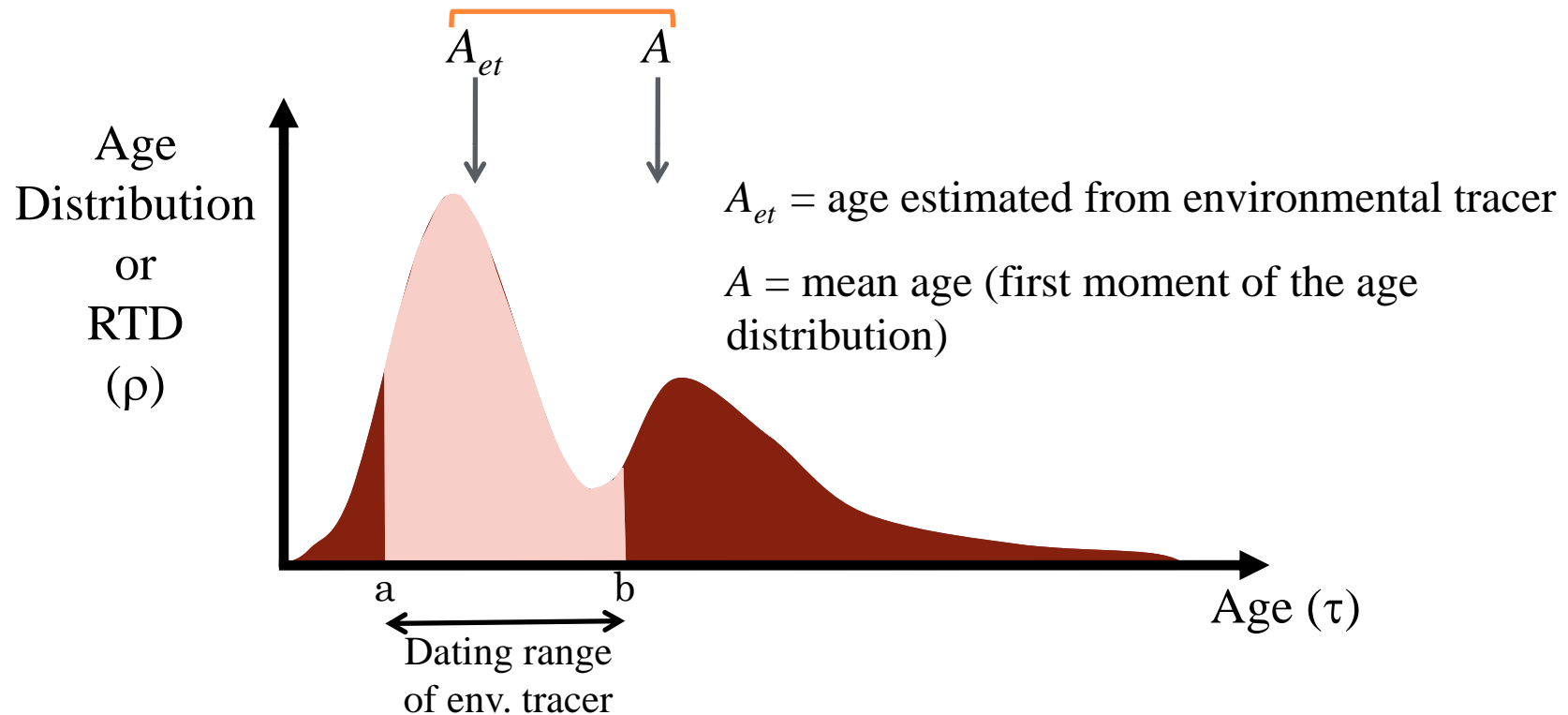
Different tracers have different dating ranges and therefore weight different subintervals of the age distributions

Mixing and flow dynamics dictate the difference between measured ages and the mean of the age distribution

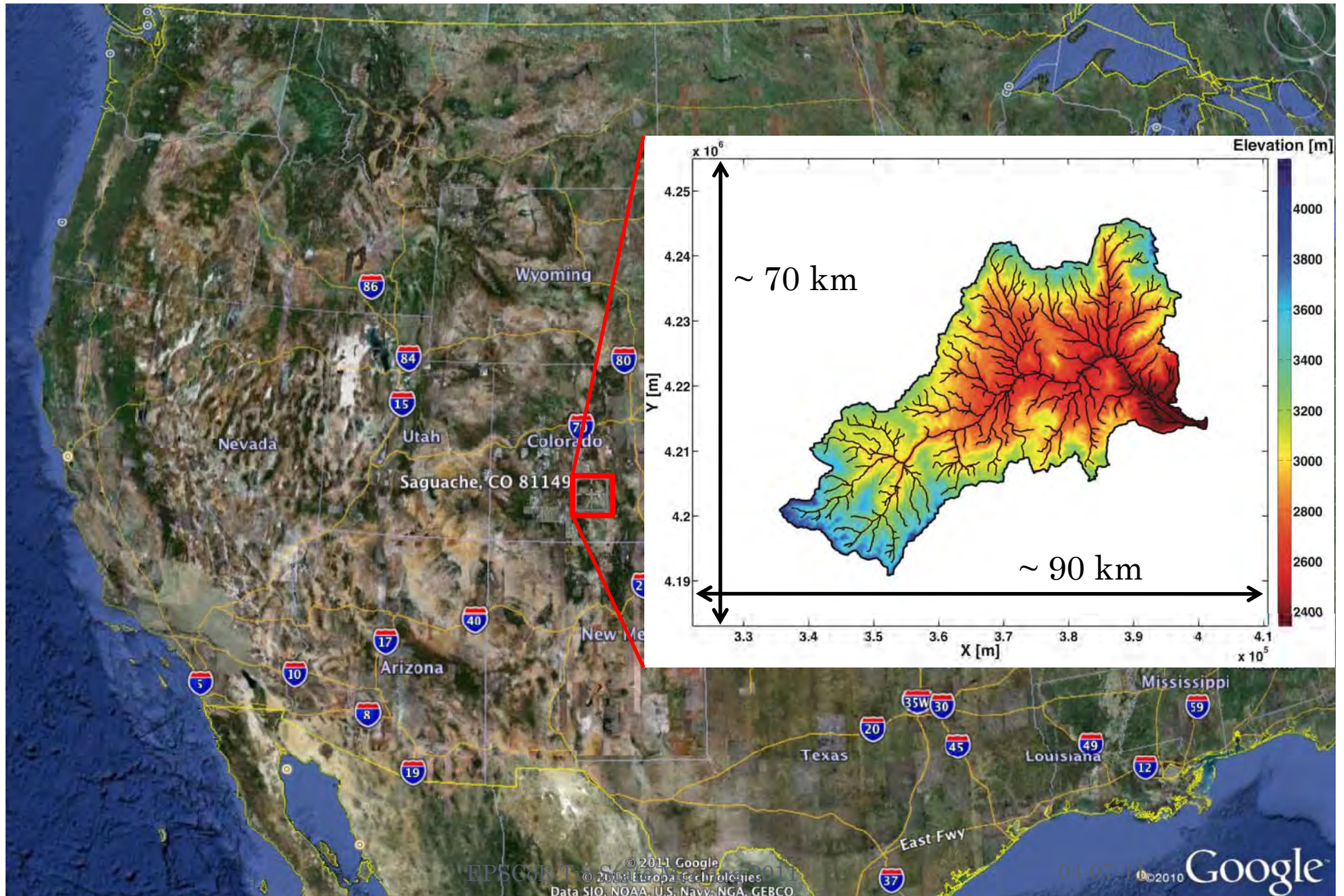


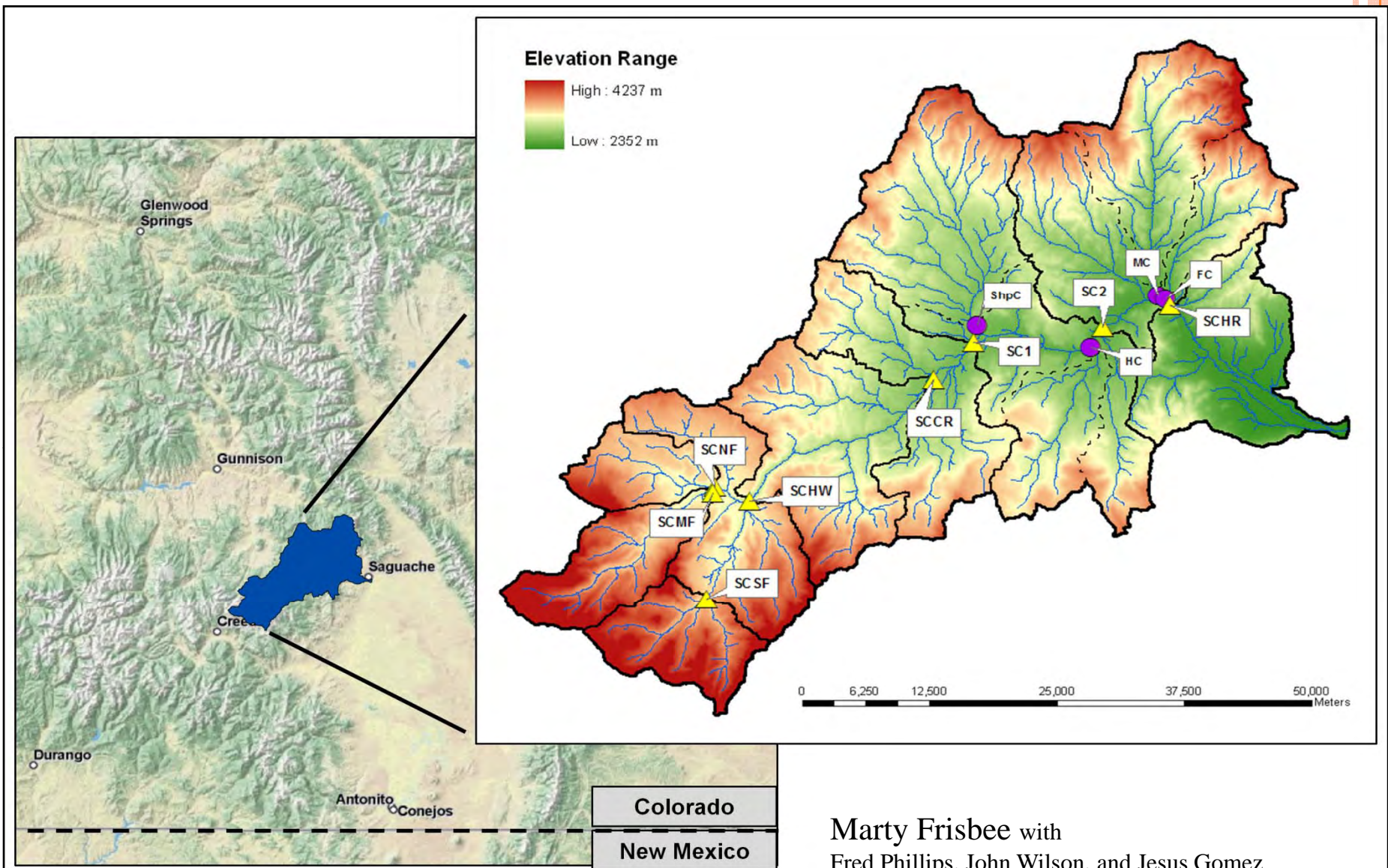
# WHAT IS THE ENVIRONMENTAL TRACER TELLING US?

This difference depends on  
the tracer, mixing, and flow dynamics



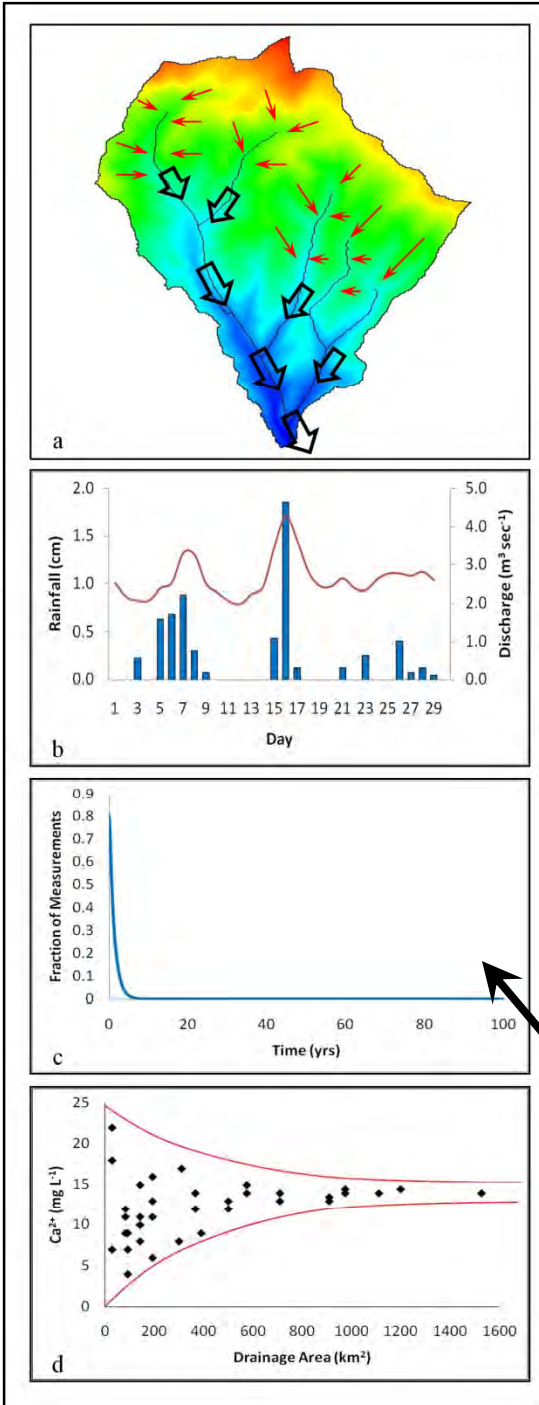
# SAGUACHE CREEK WATERSHED





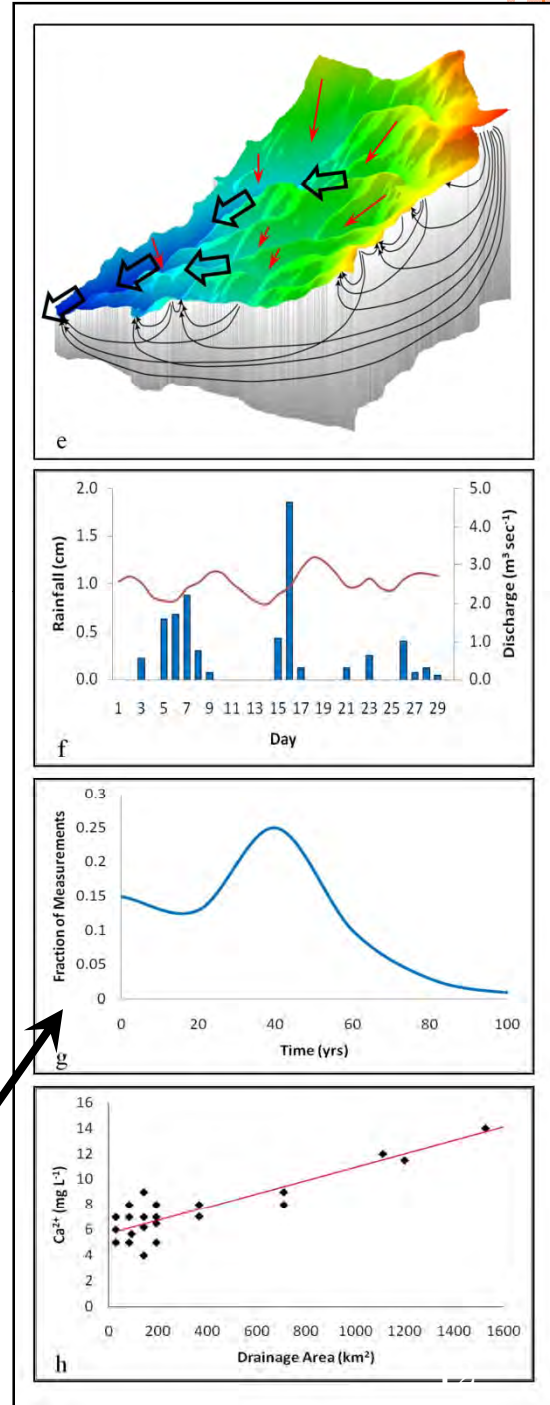
Marty Frisbee with  
 Fred Phillips, John Wilson, and Jesus Gomez

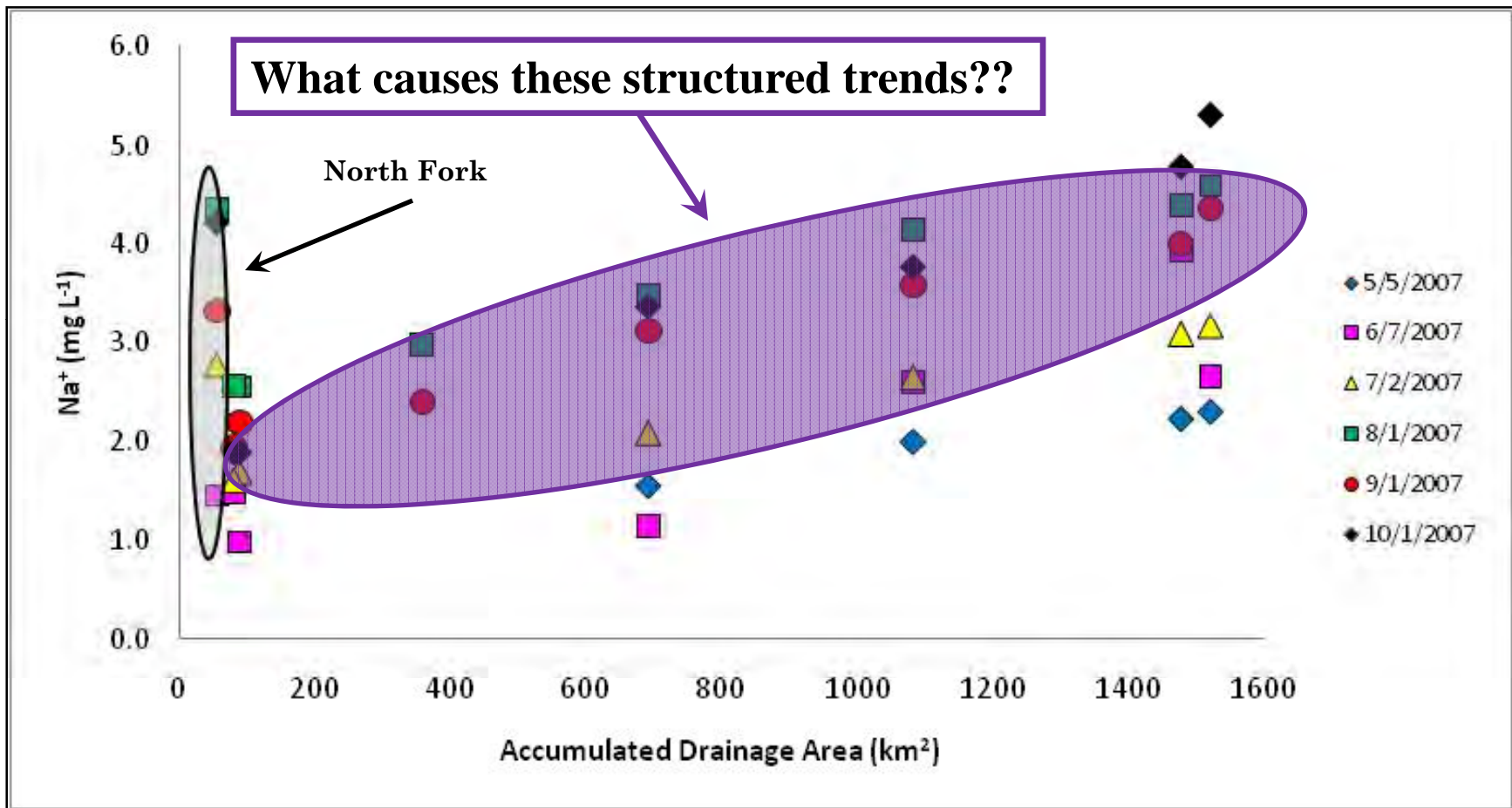
## Saguache Creek Watershed - San Juan Mountains

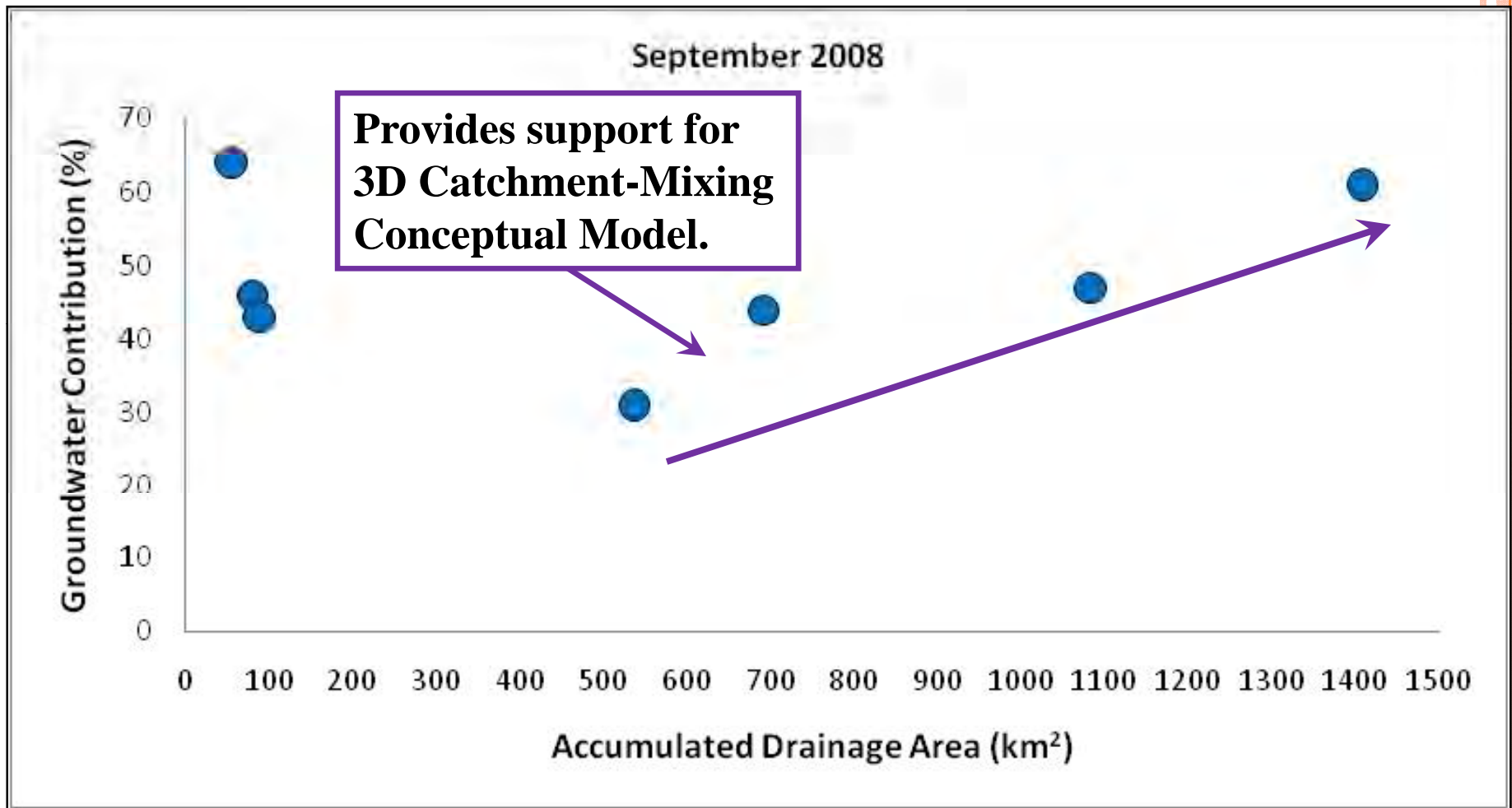


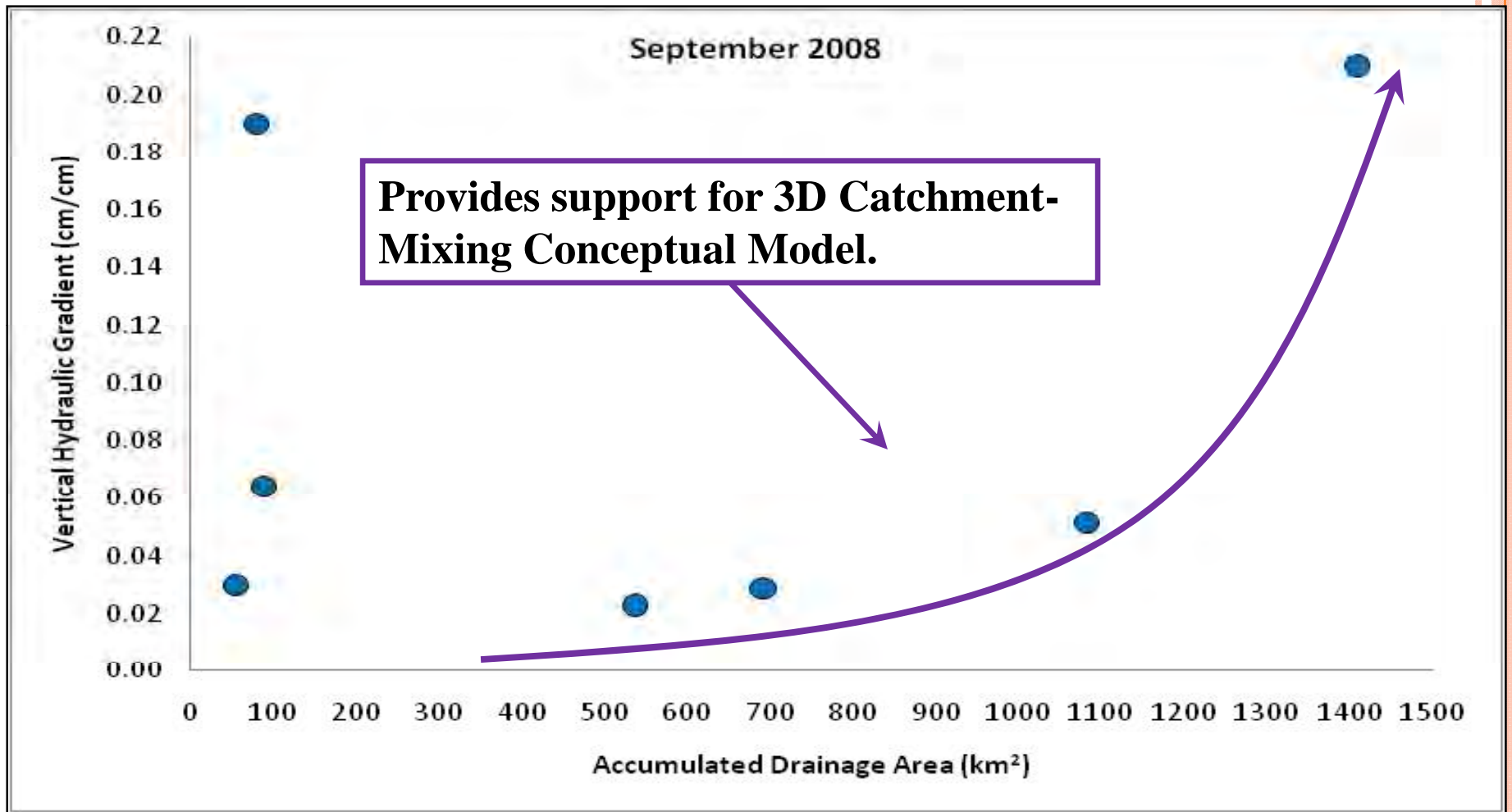
- **Two Competing Conceptual Models**
- **How do we distinguish between these two conceptual models?**
  - **Groundwater:**
    - Magnitude and Structuring of Contributions in Streamflow,
    - Use EMMA and measurements of vertical hydraulic gradients (VHG) in streamflow.
- **These Conceptual Models Have Far-Reaching Implications...**

*Frisbee, 2010*



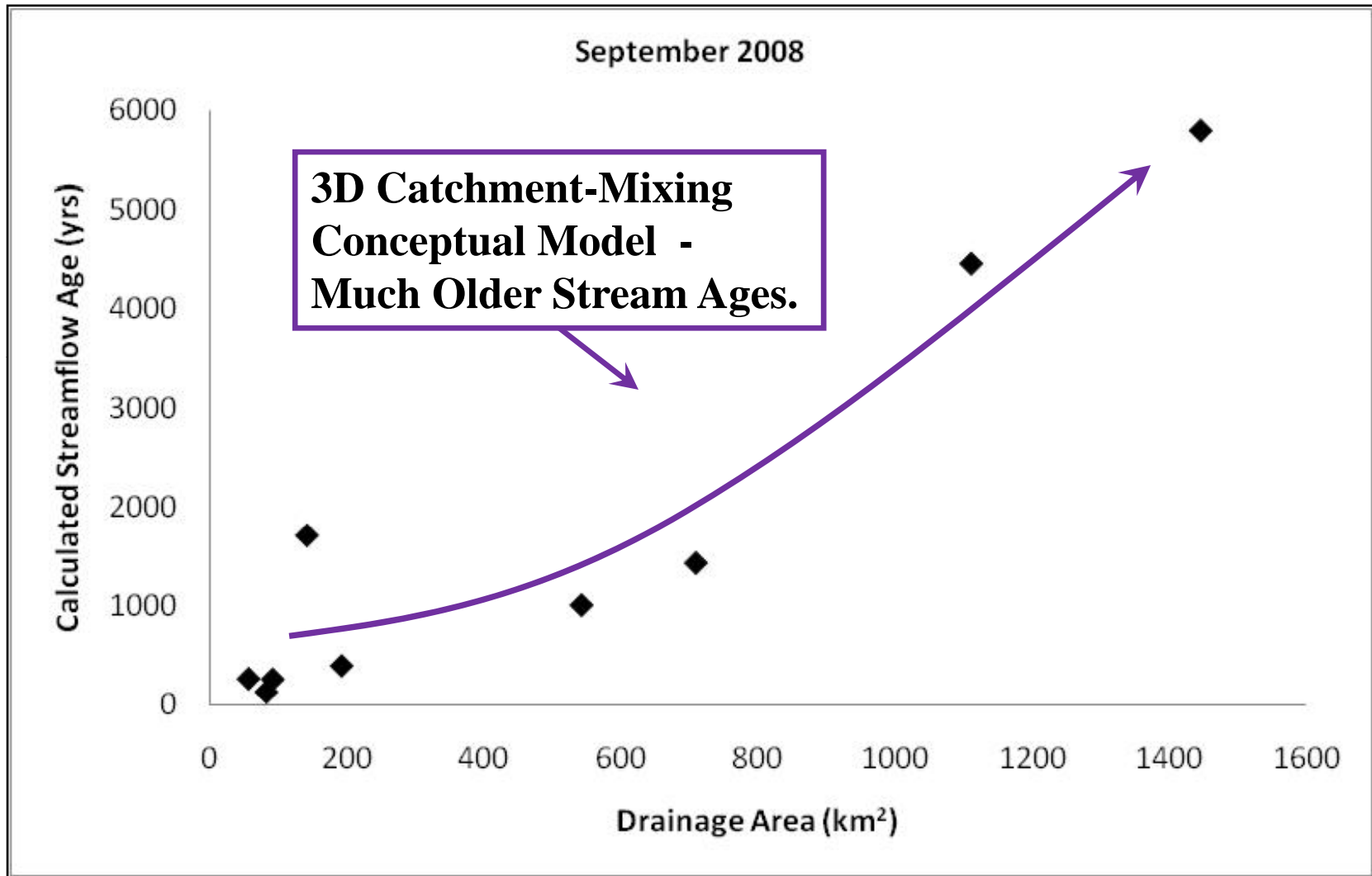


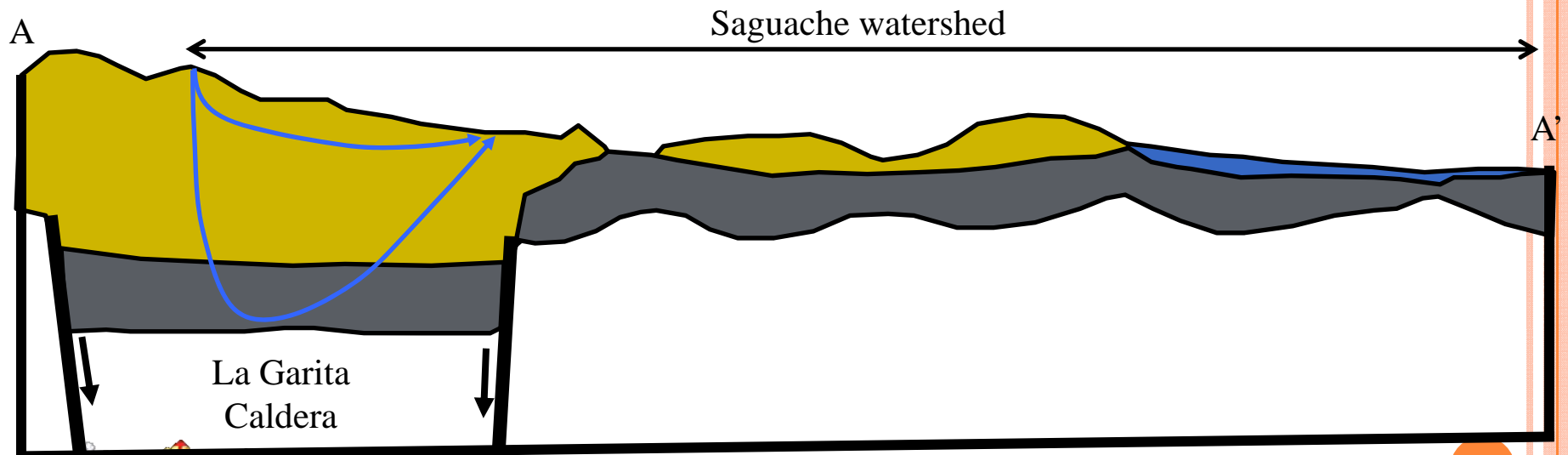
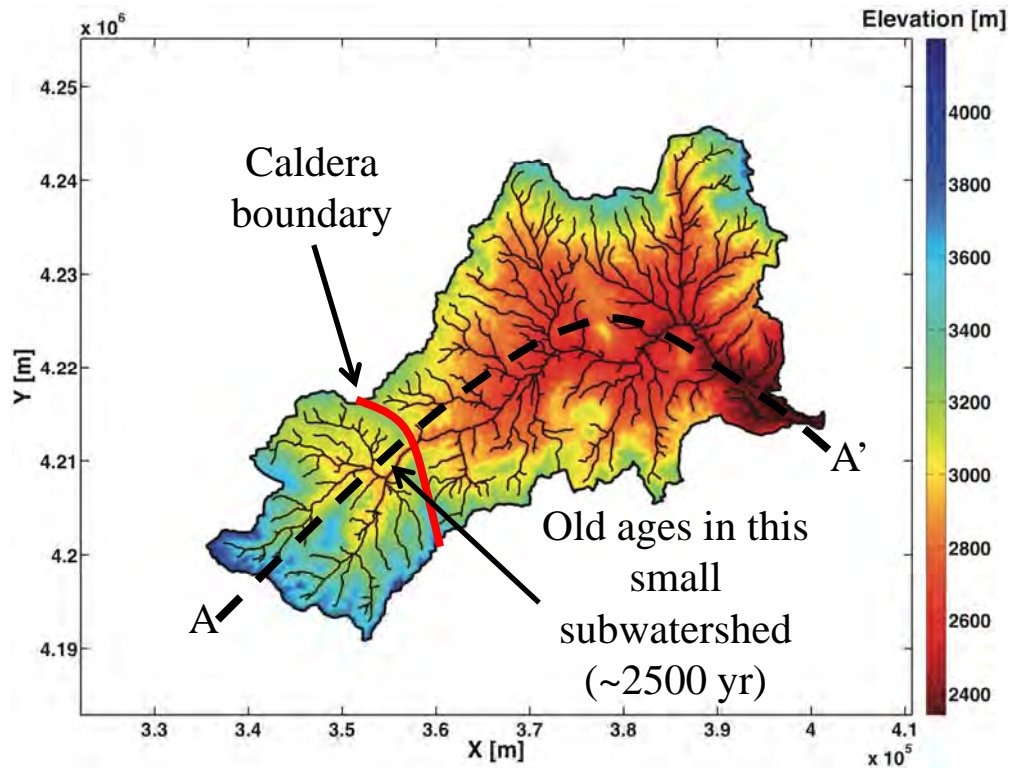




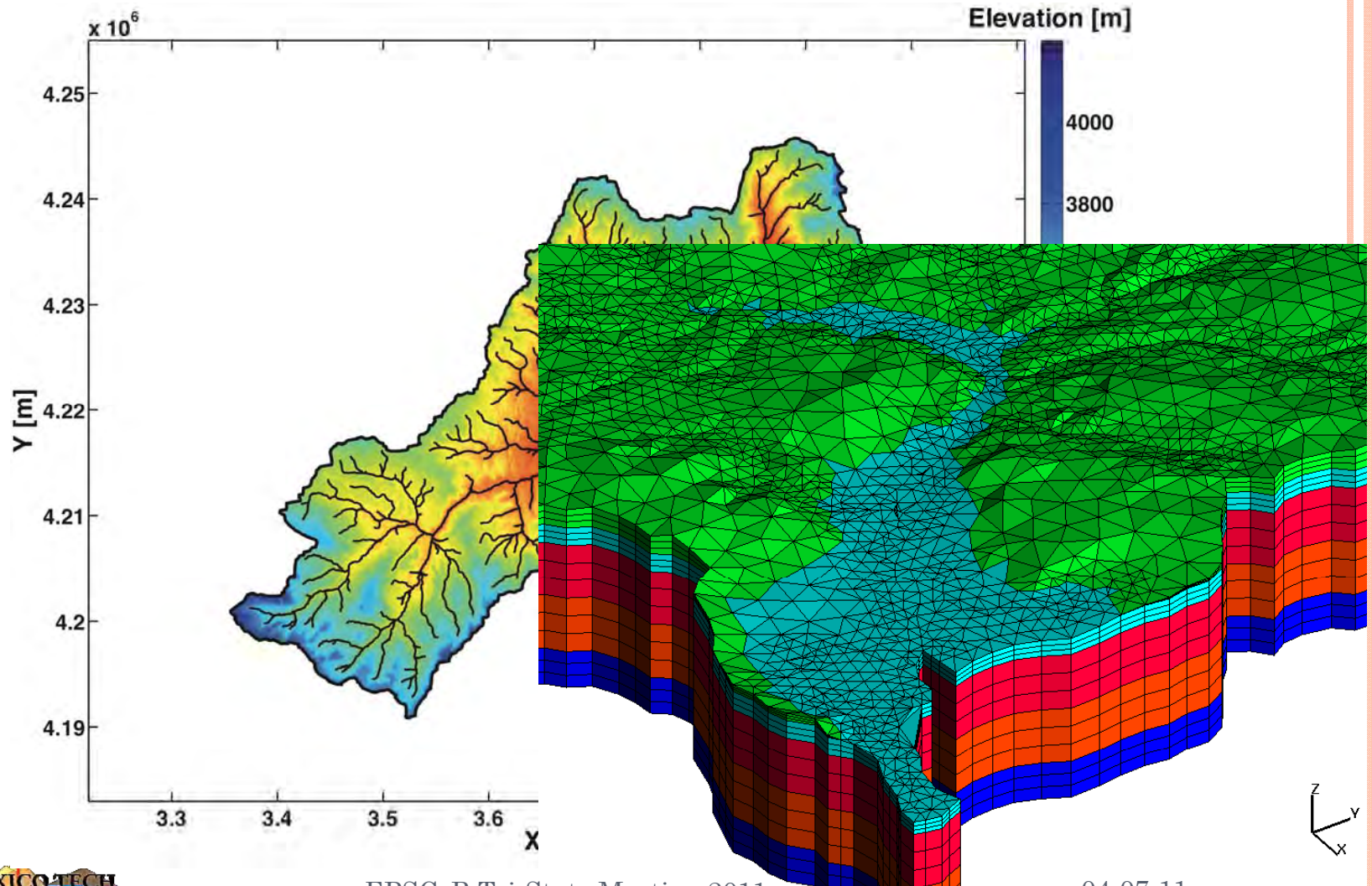






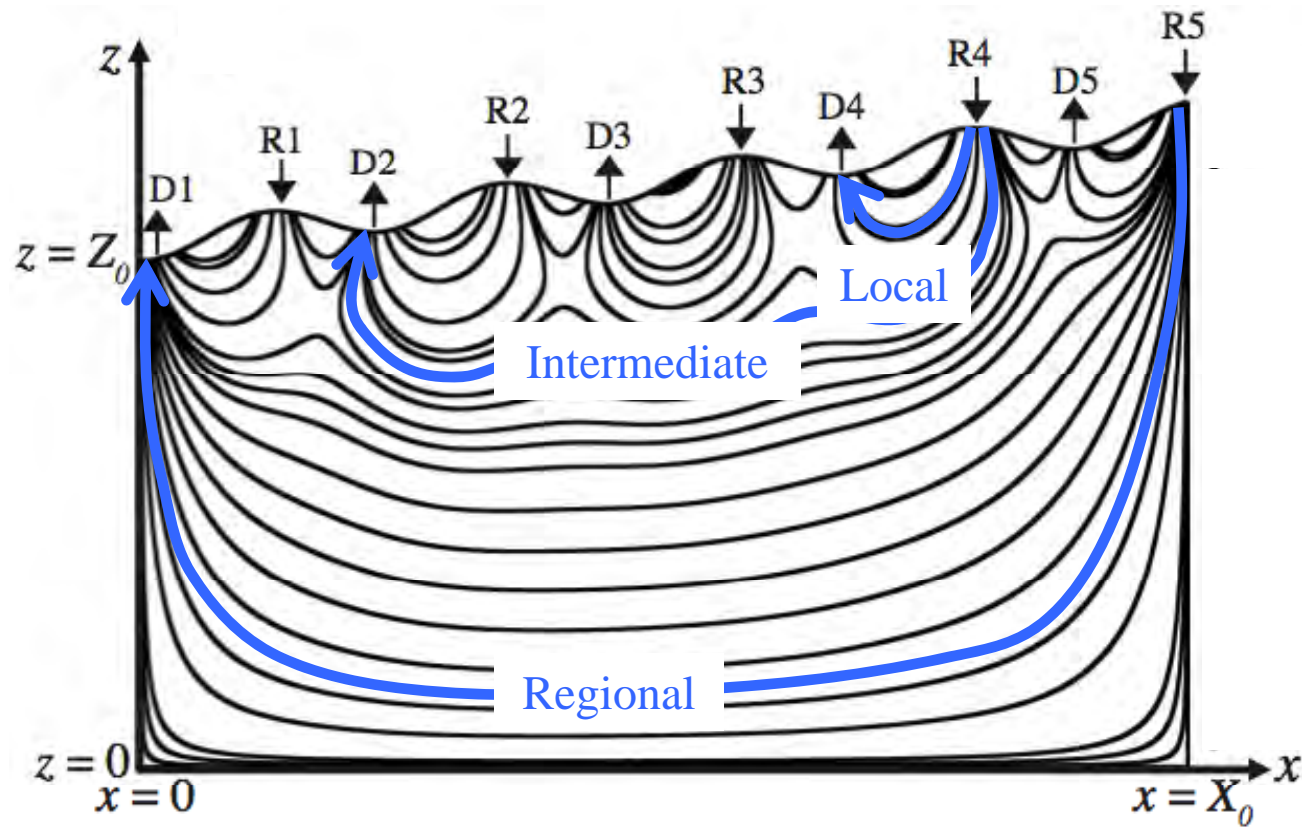


# 3-D FINITE ELEMENT MODEL TO EXPLORE FLOW AND TRANSPORT IN THE SYSTEM



# REGIONAL GROUNDWATER FLOW: A TOTHIAN-LIKE DOMAIN WITH NESTED SCALES OF INTERACTION

Change the scale and you have an analog for hyporheic zones



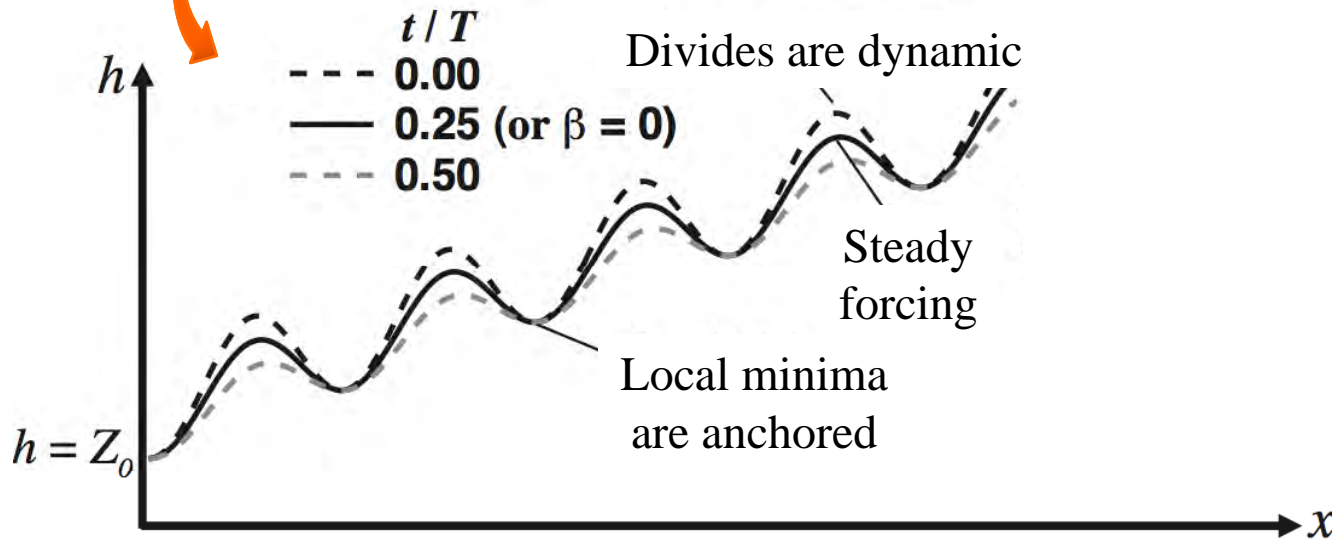
# LET'S USE A DYNAMIC FORCING

Displacements to anchor the minima

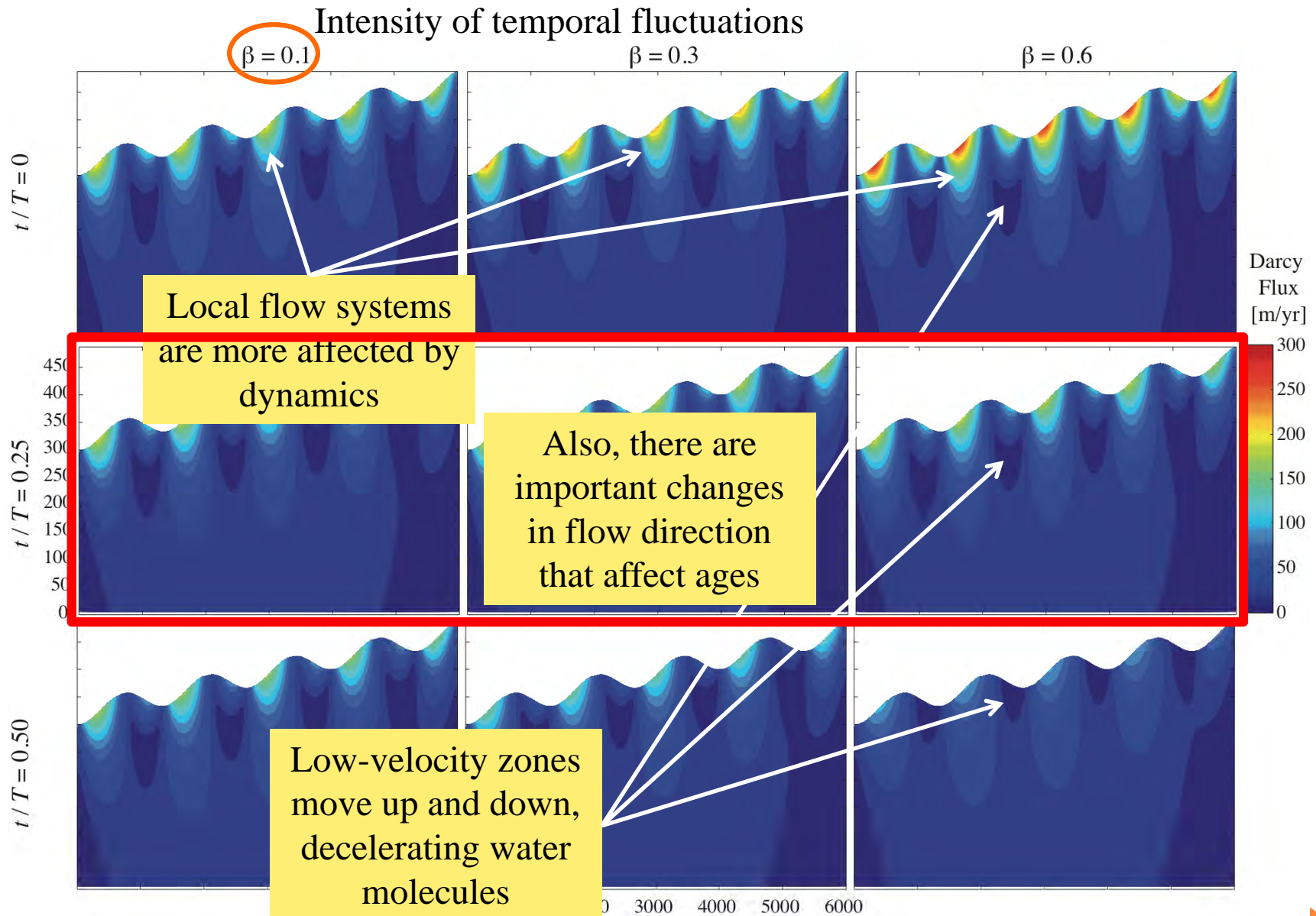
Regional slope

$$h(x,t) = Z_0 + m x + a(t) \sin \left[ \frac{2\pi(x + \delta_x(t))}{\lambda} - \frac{\pi}{2} \right] + \delta_z(t)$$

Time-varying amplitude



# HOW DOES THE FLOW FIELD CHANGE OVER TIME?

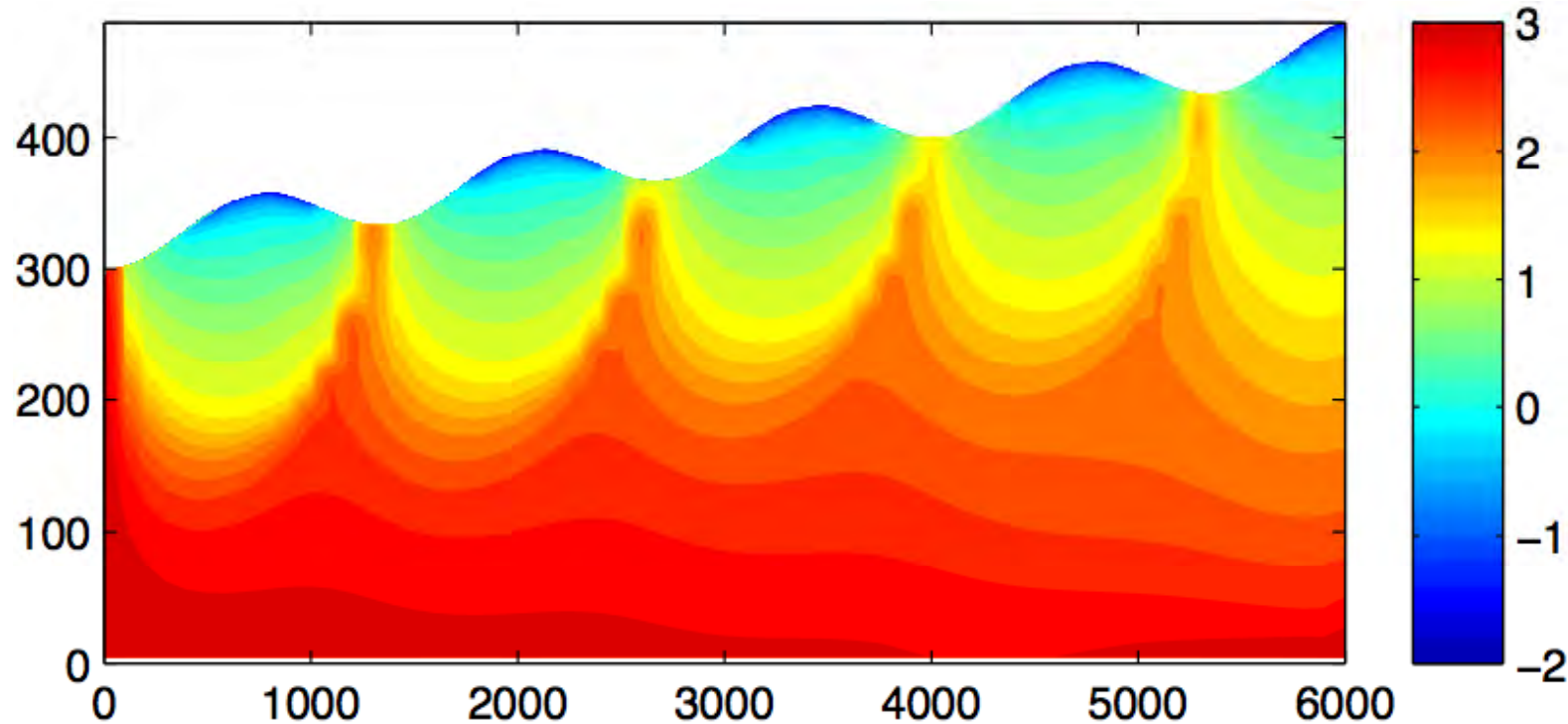


# SO, WHAT IS THE EFFECT ON AGES?

Mean age under the steady forcing

( $A = 0.01$  [1/m],  $a_1 = 10$  [m],  $a_t/a_1 = 0.1$ )

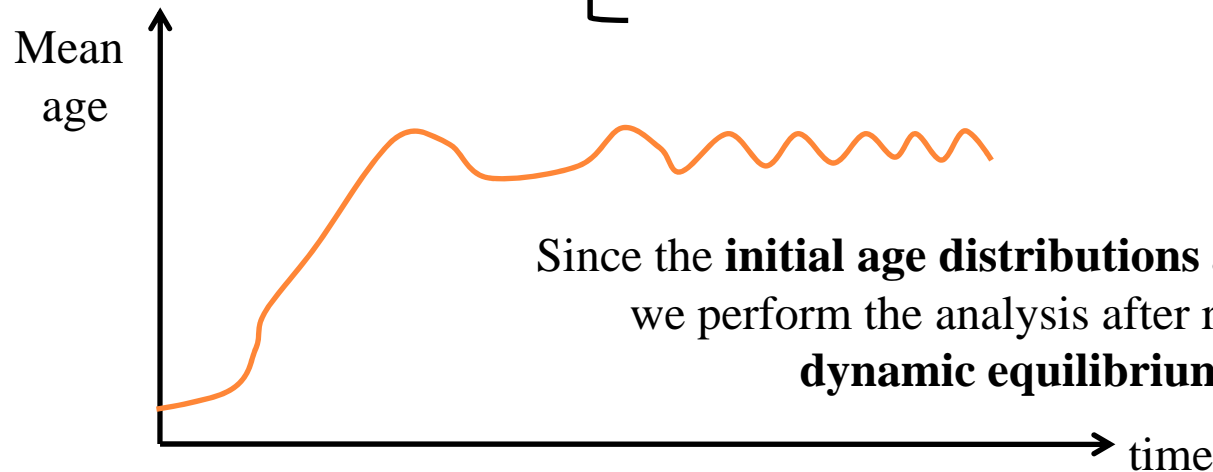
$\text{Log}_{10}(\text{Mean Age [yr]})$



# METRIC FOR COMPARISON

We will use the **relative difference respect to the mean age under steady forcing** as a metric to evaluate the effect of flow dynamics on ages

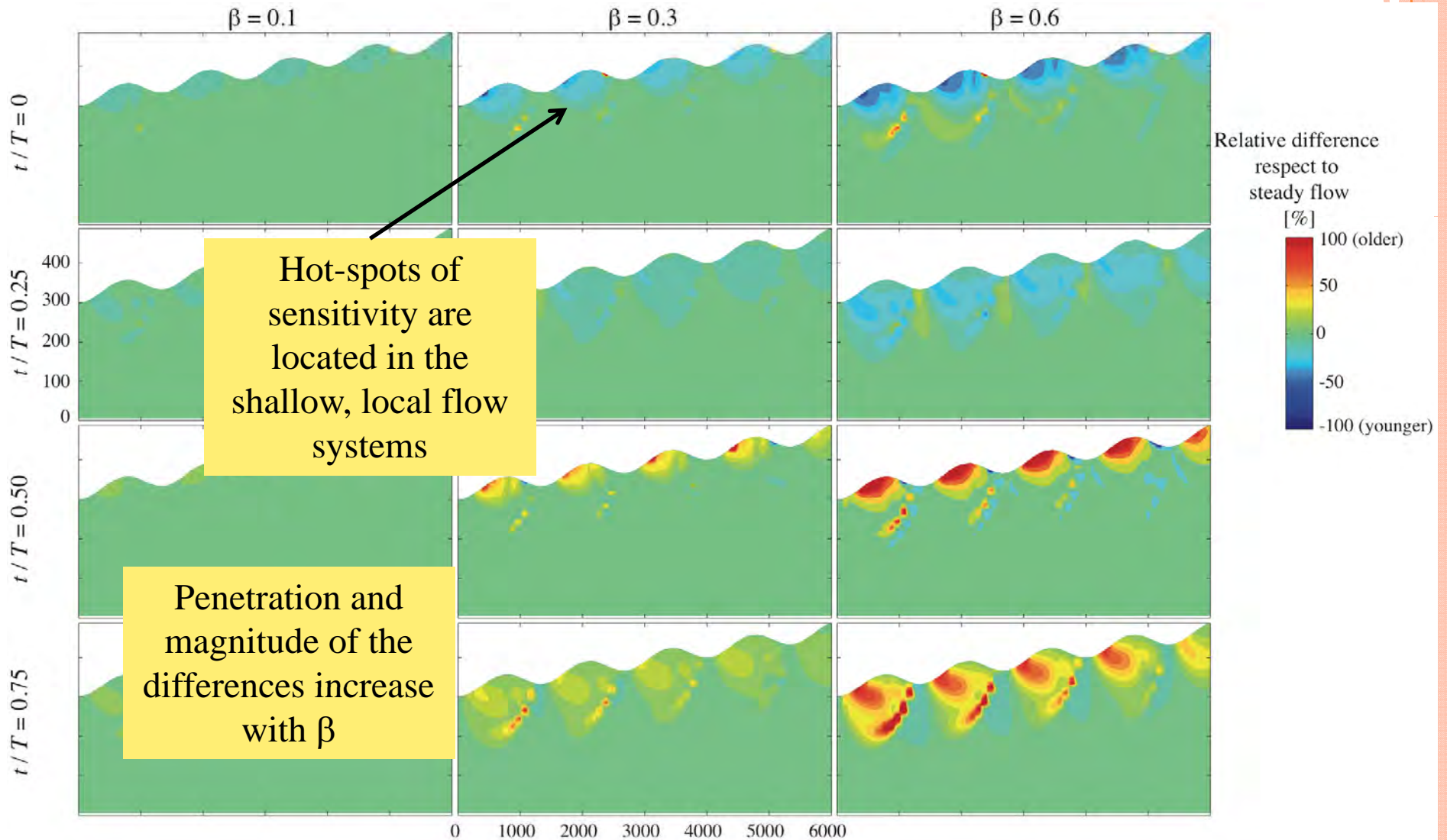
$$\text{Relative difference at time } t = \left[ \frac{\text{Mean age at time } t - \text{Mean age steady forcing}}{\text{Mean age steady forcing}} \right] \times 100$$



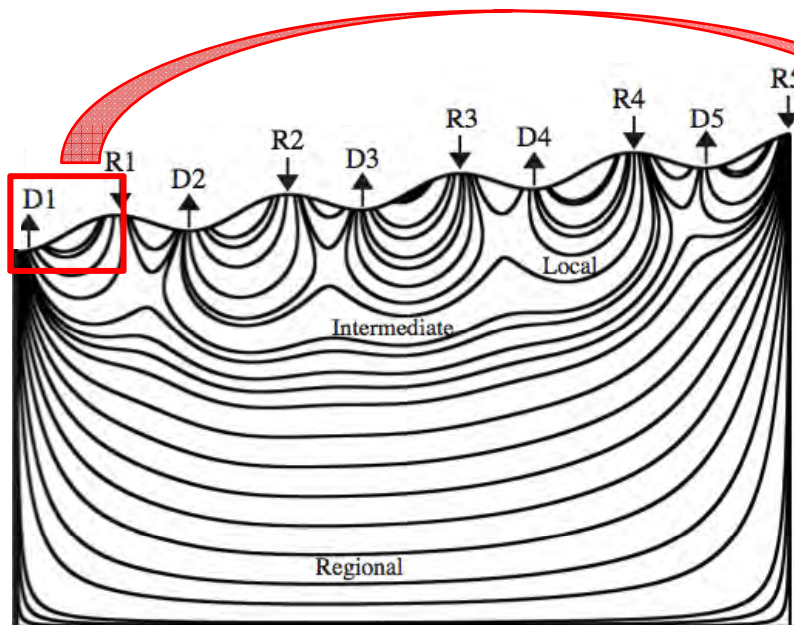


# DIFFERENCES FOR DIFFERENT TIMES UNDER DIFFERENT INTENSITIES

Intensity of fluctuations increases with  $\beta$



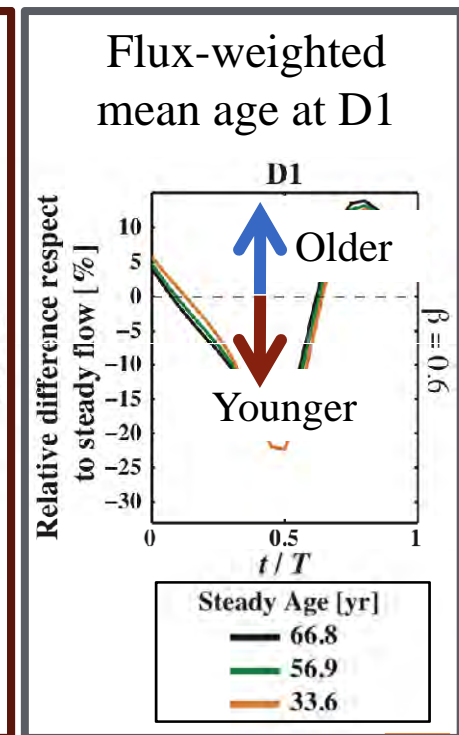
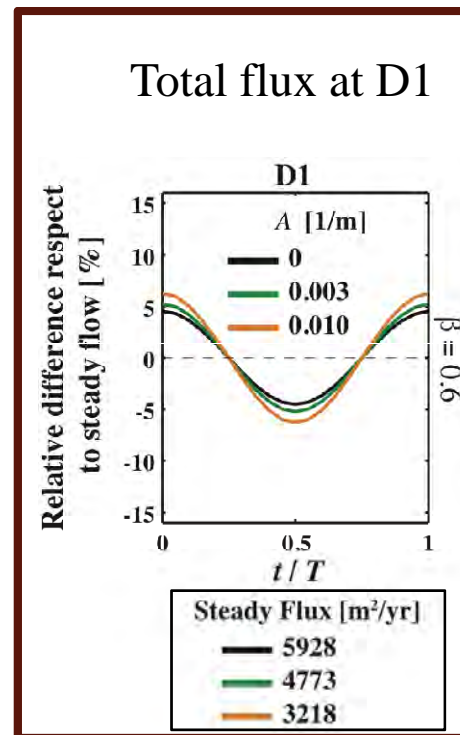
# WHAT HAPPENS AT THE DISCHARGE ZONES?



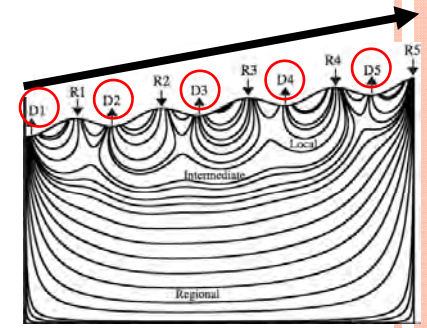
Integrate over the discharge zones to estimate the total flux and flux-weighted mean age

The coming figures will look like these:

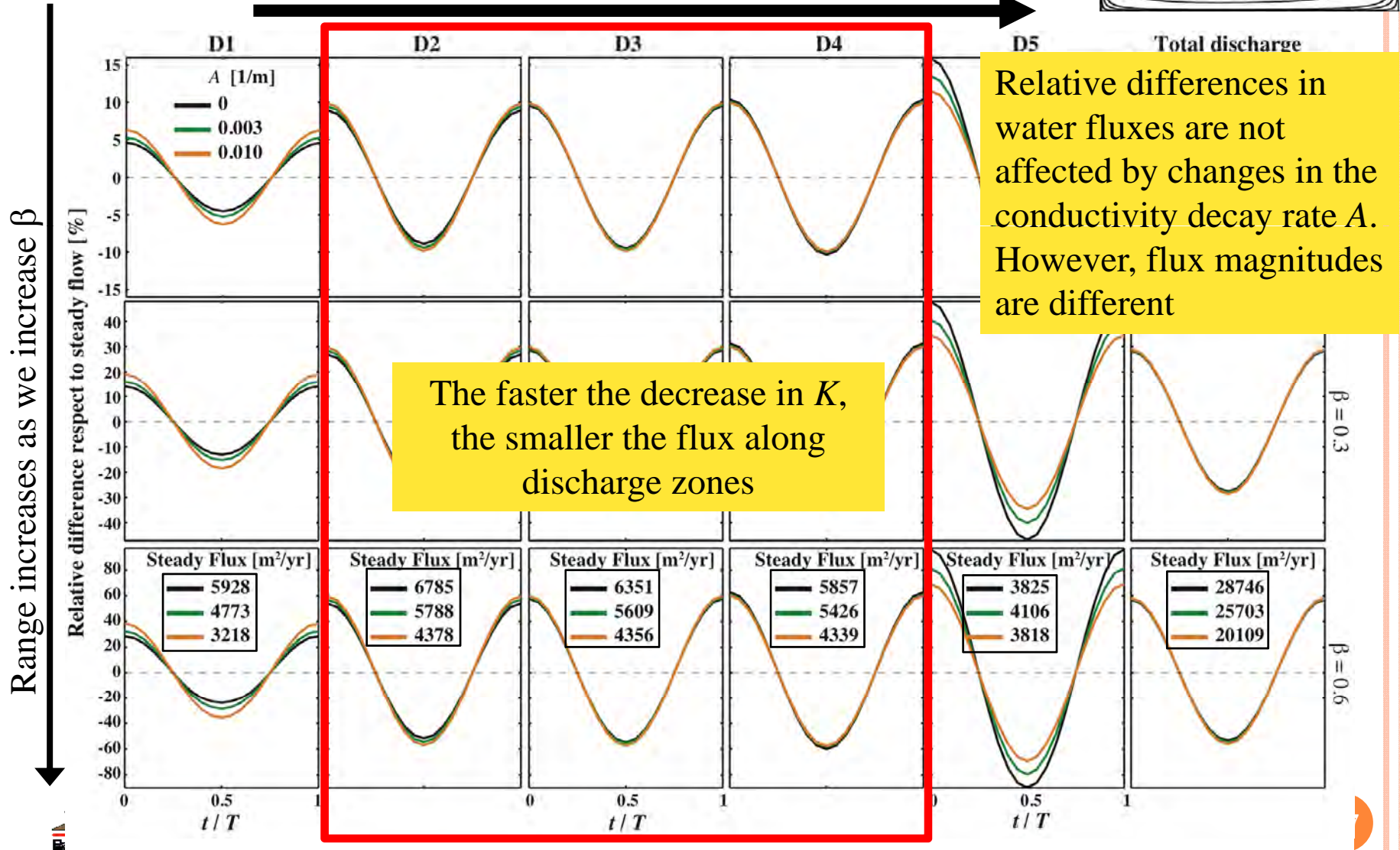
The faster the decrease in  $K$ , the smaller the discharge and the younger the water along D1



# WATER FLUXES



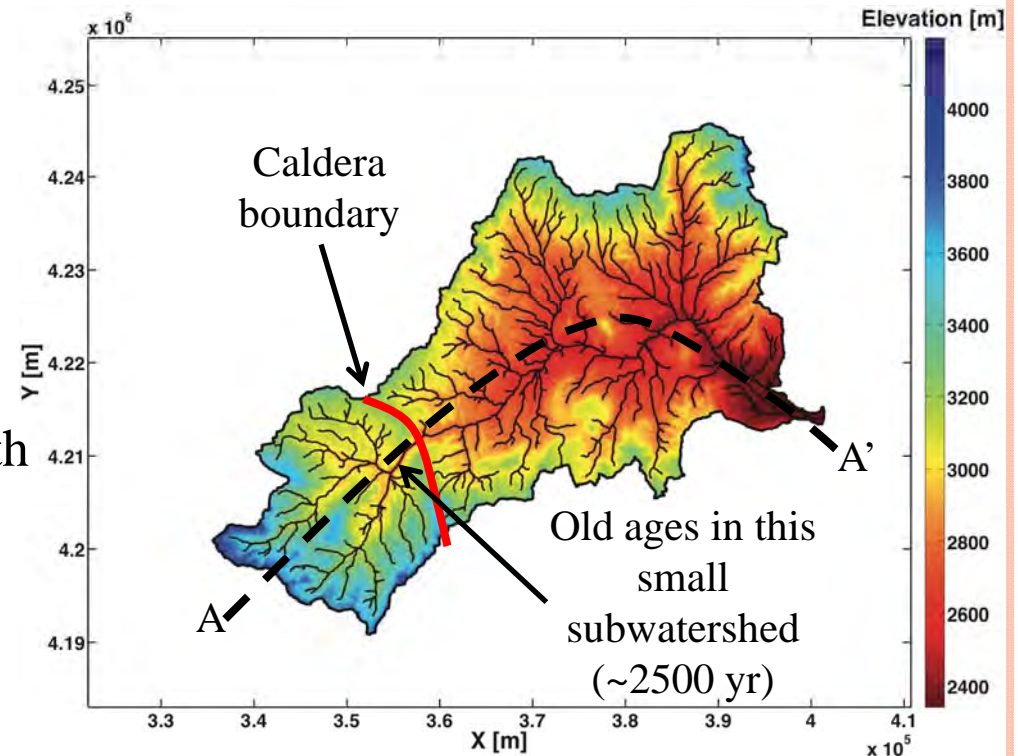
Moving uphill along the discharge zones





# IMPLICATIONS FOR AGE MEASUREMENTS AND MODELING OF SAGUACHE CREEK WATERSHED

- Mean ages in the local flow systems (shallow subsurface) are strongly affected by forcing variability (recall high-sensitivity zones).
- Averaging over flow paths smooths out the effects of transient forcing on mean ages (e.g., discharge zones or wells with large screens).
- Can we measure these changes in mean ages? Transient flow enhances mixing, which at the same time biases the ages estimated with env. tracers.
- Next step is to look at the changes in the full age distribution, not just the mean.



THE END